Lecture	Unit	Name of the Topic
No	No	•
1		<b>Simple Stresses &amp; Strains</b> : Elasticity and plasticity, Types of stresses & strains
2		Hooke's law, stress – strain diagram for mild steel
3		Working stress, Factor of safety
4	1	Lateral strain, Poisson's ratio & volumetric strain
5		Elastic moduli & the relationship between them
6		Bars of varying section, composite bars
7		Temperature stresses, Strain energy – Resilience
8		Gradual, sudden, impact and shock loadings
9		<b>Shear Force and Bending Moment</b> : Definition of beam – Types of beams
10		shear force and bending moment – S.F and B.M diagrams for cantilever, subjected to point loads, u.d.l., uniformly varying loads
11	2	shear force and bending moment $-$ S.F and B.M diagrams for simply supported , subjected to point loads, u.d.l., uniformly varying loads
12		shear force and bending moment – S.F and B.M diagrams for overhanging beams subjected to point loads, u.d.l., uniformly varying loads
13		<ul> <li>Point of contra flexure – Relation between S.F., B.M and rate of loading at a section of a beam.</li> </ul>
14		<b>Flexural Stresses</b> : Theory of simple bending – Assumptions – Derivation of bending equation: $M/I = f/y = E/R$ Neutral axis
15		Determination bending stresses
16		section modulus of rectangular sections (Solid and Hollow), I,T, Angle and Channel sections
17		section modulus of circular sections (Solid and Hollow), I,T, Angle and Channel sections
18		Design of simple beam sections
19	3	Shear Stresses: Derivation of formula
20	-	Shear stress distribution across various beams sections like rectangular,
21		Shear stress distribution across various beams sections like circular
22		Shear stress distribution across various beams sections like triangular, I, T.
23		Shear stress distribution across various beams sections like angle sections
24		<b>Principal Stresses and Strains</b> : Introduction – Stresses on an inclined section of a bar under axial loading
25		compound stresses – Normal stresses on an inclined plane for biaxial stresses
26	1	tangential stresses on an inclined plane for biaxial stresses
27	4	Two perpendicular normal stresses accompanied by a state of simple shear
28		Mohr's circle of stresses

29		Principal stresses and strains – Analytical and graphical solutions.
30		Theories of Failure: Introduction – Various theories of failure
31		Maximum Principal Stress Theory,
32		Maximum Principal Strain Theory,
33		Strain Energy Theory
34		Shear Strain Energy Theory (Von Mises Theory
35		<b>Torsion of Circular Shafts</b> : Theory of pure torsion – Derivation of Torsion equations : $T/J = q/r = N\theta/L$ –
36		Assumptions made in the theory of pure torsion –
37		Torsional moment of resistance
38		Polar section modulus
39		Power transmitted by shafts – Combined bending and torsion and end thrust.
40	5	– Design of shafts according to theories of failure
41		Thin Cylinders: Thin seamless cylindrical shells –
42		Derivation of formula for longitudinal and circumferential stresses
43		hoop, longitudinal and Volumetric strains –
44		changes in dia, and volume of thin cylinders—
45		Thin spherical shells

#### UNIT – I

**Simple Stresses & Strains**: Elasticity and plasticity – Types of stresses & strains–Hooke's law–stress – strain diagram for mild steel – Working stress – Factor of safety – Lateral strain, Poisson's ratio & volumetric strain – Elastic moduli & the relationship between them – Bars of varying section – composite bars – Temperature stresses. Strain energy – Resilience – Gradual, sudden, impact and shock loadings.

## **Learning objectives:**

Student will be exposed:

- ➤ Mechanical properties of the materials
- > Types of stresses and strains.
- ➤ Relationship between Constants of Moduli
- > Stresses induced due to temperature
- Behavior of composite sections

	<ul> <li>Behavior of composite sections</li> <li>Behavior of compound bars</li> <li>Solve problems on simple stresses and strains.</li> </ul>
	Objective Questions
1.	Every material obeys Hook's Law a) With in elastic limit b) Plastic limit c) Limit of proportionality d) None of the above
2.	The material which have the same elastic properties in all the directions <ul> <li>a) Isotropic</li> <li>b) Elastic</li> <li>c) anisotropic</li> <li>d) Brittle</li> </ul>
3.	The number of independent elastic constants for a linear elastic isotropic and homogeneous material is a) $4$ b) $3^1$ c) $2$ d) $1$
4.	Poisson's ratio is defined as  a) axial stress/lateral stress b) lateral stress/ axial stress c) axial strain/lateral strain d) lateral strain/axial strain
5.	One Mpa is equal to a) 1 Newton per meter square b) 1 Newton per millimeter square c) 1 kilo-Newton per millimeter square d) 1 Newton –millimeter square
6.	For a given material, If E,N and 1/m are Young's Modulus, Modulus of Rigidity and

7. For a given material, If E,K and 1/m are Young's Modulus, Bulk Modulus and Poisson's ratio, then

a) K = E/3 (1+2/m)c) K = E/3 (1+1/m)

a) E = 2N (1+1/m)

c) E = 2N/(1+1/m)

Poisson's ratio, then

b) K = E/3 (1-2/m)

b) E = 2N (1-1/m)

d) E = 2N/(1-1/m)

d) K = E/3 (1-2/m)

For a given material, If E,N,K and 1/m are Young's Modulus, Modulus of Rigidity Bulk Modulus and Poisson's ratio, then a) E=9KN/3K+Nb) 1/m = (3K-2N)/(6K+2N)d) E=9KN/3K-Nc) 1/m = (3K+2N)/(6K+2N)9. If the value of the Poisson's ration is zero, then it means that a) The material is rigid b) The material is perfectly plastic c) There is no longitudinal strain in the material d) The longitudinal strain in the material is infinite The values of the elastic Moduli are a) E < N < Kb) N<K<E c) K<N<E d) K<E< The total expansion of the bar loaded as shown in Fig is, A is cross sectional 11. Area, E is Young's modulus and length of each bar is 30 cm. **→**3Kn <sub>2Kn</sub> -→ 9Kn a) 10X30/AE b) 26X30/AE c) 9X30/AE d) 30X22/AE 12. If a uniform bar is supported at one end in a vertical position and loaded only by Its own weight, the maximum stress occurs at a) Bottom end b) Centre of bar c) at supported end If a uniform bar is supported at one end in a vertical position and loaded at bottom end by 13. a load equal to the weight of the bar, the elongation as compared to that of self weight will be a) Same c) 1.5 times d) Four times b) Twice If the radius of a wire stretched by a load is doubled then its modulus of elasticity will be 14. (c) unaffected (d) Become four times (a) Doubled (b) Halved 15. A copper bar is cooled to -50C, it will develop (a) Compressive stress (b) Tensile stress (c) Shear stress (d) Zero stress A copper bar of circular cross section is heated and its expansion is constrained, it will 16.

(b) coefficient of linear expansion

(d) all the above

(d)Zero stress

develop

17.

(a) Compressive stress (b) Tensile stress (c)Shear stress

Temperature stress is a function of

(a) modulus of elasticity

(c) change in temperature

#### UNIT- II

**Shear Force and Bending Moment**: Definition of beam – Types of beams – Concept of All JNTU World shear force and bending moment – S.F and B.M diagrams for cantilever, simply supported and overhanging beams subjected to point loads, u.d.l., uniformly varying loads and combination of these loads – Point of contra flexure – Relation between S.F., B.M and rate of loading at a section of a beam

#### **Learning objectives:**

Student will be exposed:

- ➤ Internal forces developed due to transverse loads such as shear force and bending moment..
- ➤ Relationship between SF and BM and loading
- > Draw SFD and BMD for cantilever beam with different loading cases
- Draw SFD and BMD for simply supported beam with different loading cases
- Draw SFD and BMD for overhanging beam with different loading cases
- > Solve problems on determinate beams.

#### **Objective Questions**

	· · · · · · · · · · · · · · · · · · ·			1 1110 0 0 1110 1110 1110 1110
	at the free end w	ill be		
	a) 0	b) -PL		
	c) PL	d) PL/2		
2.	A cantilever of	span 'L' has a loac	1 'M' acting at the free	end. The shear force

1. A cantilever of span 'L' has a load 'P' acting at the free end. The bending moment

- at the free end will be
  - a) 0 b) -ML c) ML d) M/L
- 3. A cantilever of span 'L' has a load 'M' acting at the free end. The shear force at the fixed end will be
  - a) 0 b) -ML c) ML d) M/L
- 4. A simply supported beam of span 'L' carries a concentrated load 'W' at the centre, the B.M. at mid span will be
  - a) WL/4 b) WL/2 c) WL/8 d) WL
- 5. A simply supported beam of span 'L' is subjected to udl of w /m length, the maximum B.M at the centre will be
  - a)  $wl^2/8$  b)  $wl^2/2$  c)  $wl^2/4$  d)  $wl^2/6$
- 6. A simply supported beam carries two point loads of W each at L/4 from each support. Shear force at the mid-span will be.
  - a) W b) W/2 c) W/4 d) 0
- 7. A simply supported beam of span 'L' carries two point loads of W each at L/3 from each support, the bending moment at the mid span will be
  - a) WL b) WL/2

	c) WL/3 d) 0
8.	Where the rate of loading is zero, the SF curve will be a) varying linearly b)constant ordinate c) varying as a parabolic curve.
9.	If the intensity of loading is constant, the shear force will be a) varying linearly b)constant ordinate c) varying as a parabolic curve.
10.	For the shear force to be uniform throughout the span of a simply supported Beam, it should carry a) concentrated load at mid-span b)u.d.l over its entire span c) two concentrated loads equally spaced d) a couple anywhere on its span
11.	Area of the shear force diagram is equal to the a)B.M. at the point b) load at the point c) S.F. at the point d) maximum B.M. at the point.
12.	The mid span moment for a simply supported beam of span 'L' subjected to uniformly varying load zero at the supports to maximum of w/m at the center of the span
13.	The left half of a simply supported beam of span 'L' is loaded with UDL of w/m , the reaction at the right support will be $\_$
14.	The load on a cantilever of span 'L' varies from 0 at free end to 'w' at support, the maximum B.M. at support will be
15.	The B.M at a section is maximum where shearing force
16.	A simply supported beam of length 3m carries a concentrated load of 12kN at a distance of 1m from left support. The maximum bending moment in the beam is
17. ገ	The moment diagram for a cantilever subjected to bending moment at the free end is
18.	Maximum bending moment in a simply supported beam carrying a point load "W" at a distance 'a' from one end of the span 'l' is
19.	A simply supported beam carries a couple at a point on its span, the shear force Is
20.	Variation of bending moment in a cantilever carrying load, the intensity of which varies uniformly from zero at the free end to 'w' per unit run at the fixed end is

#### UNIT - III

**Flexural Stresses**: Theory of simple bending – Assumptions – Derivation of bending equation: M/I = f/y = E/R Neutral axis – Determination bending stresses – section modulus of rectangular and circular sections (Solid and Hollow), I,T, Angle and Channel sections – Design of simple beam sections.

**Shear Stresses**: Derivation of formula – Shear stress distribution across various beams sections like rectangular, circular, triangular, I, T angle sections

## **Learning objectives:**

Student will be exposed:

- Assumption made in theory of simple bending.
- > Derive the equation of simple bending
- > Variation of bending stress across the section of the beam
- > Section modulus of the beam
- > Design of section subjected to bending moment
- > Solve the problems on bending stresses
- > Equation for shear stress distribution across the section
- > Pure shear / complementary shear stress
- > Shear stress across various cross sections
- > Solve problems on shear stress distribution

### **Objective Questions**

1.	The inte	nsity of dir	rect longitu	dinal stress	s in the cross	-section a	t any point	<b>'</b> y'	from the
	neutral a	axis for sim	ple bending	g is propor	tional to				
	a) 'y'	b)1/y	c) $1/y^2$	d)d/y					

- 2. A cantilever beam is loaded transversely, the maximum tensile stress develops at a) top fiber b) neutral axis c) bottom fiber
- 3. Section modulus 'Z' of a hollow circular section with external diameter 'D' and internal diameter 'd' will be

a) 
$$Z = \pi (D^4 - d^4) / 32$$

b) 
$$Z = \pi (D^4 - d^4) / 32D$$

c) 
$$Z = \pi (D^4 - d^4) / 32d$$

d) 
$$Z = \pi (D^3 - d^3) / 32$$

- 4. Moment of inertia of triangular section with base as 'b' and height 'h' about base will be
  - b)  $bh^{3}/3$
- b) $hb^{3}/3$
- c) $bh^{3}/12$
- d) $bh^3/36$ .
- 5. Neutral axis of a beam is the axis at which
  - c) The shear force is zero (b) the moment of inertia is zero (c) the bending stress is zero (d) the bending stress is maximum
- 6. The equation for simple bending, if 'M' is B.M., 'p' is stress at a distance 'y' from N.A., 'I' is Moment of inertia and 'E' is Young's modulus a)M/I = E/R = p/y b) M/I = E/R = y/p c) M/I = R/E = p/y d) M/I = R/E = y/p
- 7. A rectangular beam of depth'd' and breadth 'b' is to be cut from a circular log of diameter 'D'. Find the ratio of depth to breadth for the straight section in bending. a)d/b = 2 b)d/b =  $\sqrt{2}$  c) b/d =  $\sqrt{2}$  d)d/b=1
- 8. for rectangular section, keeping depth 'd' constant the breadth 'b' for uniform strength beam will have relation with bending moment 'M' as a) b  $\alpha \sqrt{M}$  b) b  $\alpha M$  c) b  $\alpha 1/\sqrt{M}$  d) b  $\alpha 1/M$

10		
	a) Linearly (b) as parabolic curve (c) hyperbolically (d) elliptically	
11.	Neutral axis of a beam is the axis at which	
	a) The shear force is zero (b) The moment of inertia is zero	
	(c) The bending stress is zero (d) The bending stress is maximum	
12.	In a rectangular section of depth 'd' and breadth 'b' the maximum shear stress 'T' at N.A. , for shear force 'F' will be	
12.	In a circular section of diameter 'd' the maximum shear stress 't' at N.A. , for shear force 'F' will be	
12	A. T. anadian in mandana alimaha mangantah harawa mithanai Gama harabian Tha	
13.	A T- section is used as a simply supported beam with uniform loading. The	
	maximum bending stresses for a given load will occur at	
15	A T- section is used as a simply supported beam with uniform loading. The	
13	maximum shear stresses for a given load will occur at	
		_
16.	The ratio of the flexural strengths of two beams of square cross-section, the first	
	eam being placed with its top and bottom sides horizontally and the second beam	
be	ging placed with one diagonal horizontally is	
17. T	he shear stress distribution over a rectangular cross –section of a beam follows	
-		
1.0		
18.	In a beam of I section, the maximum shear stress is carried by	
19 N	Iaximum shear stress in a rectangular beam occurs at	
17.1	dannam shedi saess in a rectangulai sedin seedis di	

#### **UNIT-IV**

**Principal Stresses and Strains**: Introduction – Stresses on an inclined section of a bar under axial loading – compound stresses – Normal and tangential stresses on an inclined plane for biaxial stresses - Two perpendicular normal stresses accompanied by a state of simple shear - Mohr's circle of stresses – Principal stresses and strains – Analytical and graphical solutions.

**Theories of Failure**: Introduction – Various theories of failure - Maximum Principal Stress Theory, Maximum Principal Strain Theory, Strain Energy and Shear Strain Energy Theory (Von Mises Theory).

## **Learning objectives:**

Student will be exposed:

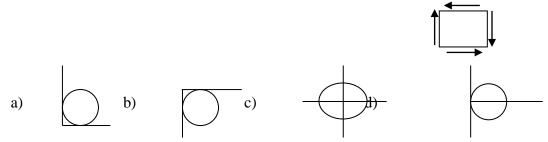
- Complex stresses
- Normal and tangential stresses on inclined plane for uni- axial stress
- Normal and tangential stresses on inclined plane for bi-axial stress
- Normal and tangential stresses on inclined plane for plane stress
- Principle stresses and Principle planes
- Mohr's stress circle
- Various theories of failures
- Design of sections according to theories of failures.

## **Objective Questions**

- 1) If  $\sigma$  is the normal stress due to a force on a normal cross –section the normal stresses on a plane inclined  $\theta^{o}$  to the direction of the force will be

  - a)  $\sigma \cos^2 \theta$  b)  $\sigma \cos^2 \theta/2$
- c)  $\sigma \sin\theta \cos\theta$  d)  $\sigma \sin2\theta$
- 2) If  $\sigma$  is the normal stress due to a force on a normal cross –section the maximum shear stresses on a plane inclined 45° to the direction of the force will be
  - a)  $\sigma$
- b) σ
- c)  $\sigma/2$
- d)  $\sigma \sin\theta$
- 3) If block is subjected to pure shear  $\tau$  , normal stress on an inclined plane making angle  $\theta$ with the normal to the cross-section will be

  - a)  $T \sin^2 \theta$  b)  $T \cos 2\theta$
- c)  $\tau \sin 2\theta$
- 4) Principal stresses at a point in a plane stresses element are  $\sigma_x = \sigma_{y.} = 500 \text{kg/cm}^2$ , Normal stress on the plane inclined at 45<sup>o</sup> to x- axis will be
  - a) 0
- b)  $500 \text{ kg/cm}^2$
- c)  $707 \text{ kg/cm}^2$
- d) $1000 \text{ kg/cm}^2$
- 5) State of stress in a plane element is shown in fig. which one of the following figures is the correct sketch of Mohr's circle of the state of stress.



- 6) If a concrete cube submerged deep in still water in such a that the pressure exerted on all faces of the cube is 'P', then the maximum shear stress developed inside the cube is.
  - a) 0
- b) p/2
- c) p
- d) 2p.
- 7) The state of plane stress at a point is described by  $\sigma_x = \sigma_y = \sigma$  and  $\tau_{xy} = 0$ . The normal stress on the plane inclined as  $45^{\circ}$  to the x – plane will be

	a) $\sigma$ b) $\sqrt{2} \sigma$ c) $\sqrt{3} \sigma$ d) $2 \sigma$				
8)	In a uni-dimensional stress system, the principle plane is defined as one on which the 1) shear stress is zero 2)normal stress is zero 3)shear stress is maximum 4)normal stress is maximum				
	a) 1 and 2 are correct b) 2 and 3 are correct c)1 and 4 are correct d) 3 and 4 are correct				
9)	A Mohr's circle reduces to a point when the body is subjected to a)pure shear b)uni-axial stress only c)equal and opposite axial stress on two mutually perpendicular planes, the planes being free of shear d)equal axial stresses on two mutually perpendicular planes, the planes being free of shear.				
10)	10) If the principal stresses corresponding to a two dimensional state of stresses are $\sigma_1 = \sigma_2$ and $\sigma_1$ is greater than $\sigma_2$ and both are tensile then which one of the following would be the correct criterion for failure by yielding according to the maximum shear stress theory. a) $(\sigma_1 - \sigma_2) / 2 = \sigma_{yp} / 2$ b) $\sigma_1 / 2 = \sigma_{yp} / 2$ c) $\sigma_2 / 2 = \sigma_{yp} / 2$ d) $\sigma_1 = \sigma_{yp}$				
11)	Maximum principle stress theory is postulated by				
12)	Maximum strain energy theory is postulated by				
13)	Maximum shear stess theory is postulated by				
14)	14) The shear stress on the principal plane is				
15)	15) If a body is acted upon by pure shear stresses on two perpendicular planes, the planes inclined at 45 <sup>o</sup> are subjected to nostress.				
16	In a Mohr's circle, the radius gives the value of				

#### UNIT -V

**Torsion of Circular Shafts**: Theory of pure torsion – Derivation of Torsion equations:  $T/J = q/r = N\theta/L$  – Assumptions made in the theory of pure torsion – Torsional moment of resistance – Polar section modulus – Power transmitted by shafts – Combined bending and torsion and end thrust – Design of shafts according to theories of failure.

**Thin Cylinders**: Thin seamless cylindrical shells – Derivation of formula for longitudinal and circumferential stresses – hoop, longitudinal and Volumetric strains – changes in dia, and volume of thin cylinders– Thin spherical shells

### **Learning objectives:**

Student will be exposed:

- > Understand the assumptions made in pure torsion
- > Derive the torisonal formula
- > Power transmitted by the shaft
- > Stress distribution across the cross section
- > Torsional rigidity
- > Design of sections subjected to torsion
- > Types of springs, uses and their application
- > Springs in series parallel
- > Solve problems on torsion and springs.

# **Objective Questions**

1)	Magnitude of shear stress induced in a shaft due to applied torque varies from  a) maximum at centre to zero at circumference b) maximum at centre o minimum (not zero) at circumference c) zero at centre to maximum at circumference d) minimum at centre to maximum at circumference
2)	The variation of shear stress in a circular shaft subjected to torsion is a) Linear b) parabolic c) hyperbolic d) uniform
3)	Torsional rigidity of a shaft is defined as a)G/J b) GJ c) TJ d)T/J
4)	Torsional rigidity of shaft is given by a) GI/ $\theta$ b) T $\theta$ c) TI/ $\theta$ d) T/I
5)	Angle of twist of circular shaft is given by a) GJ/TL b)TL/GJ c)TJ/GL d)TG/JL
6)	Maximum shear stress of solid shaft is given by a) $16T/\pi d$ b) $16T/\pi d^2$ c) $16T/\pi d^3$ d) $16T/\pi d^4$
7)	The ratio of maximum bending stress to maximum shear stress on the cross-section when a shaft is simultaneously subjected to a torque 'T' and bending moment M is a) T/M b)M/T c)2t/M d)2M/T
8)	Maximum shear stress in a hollow shaft is subjected to a Torsional moment is at the  a) middle of thickness b) at the inner surface of the shaft c) at the outer surface of the shaft d) none of the above
9)	The ratio of the strength of a hollow shaft to that of a solid shaft subjected to torsion, if both are of the same material and of the same outer diameters, the inner diameter of hollow shaft being half the outer diameter is a)15/16 b) 16/15 c) 7/8 d) 8/7  The maximum twisting moment 'T' a shaft can resist is proportional to product of the permissible shear stress and a) Moment of Inertia b) Polar Moment of Inertia c) Modulus of rigidity.
11)	The ratio of Torsional moment resisted by a solid shaft of diameter 'D' and hollow shaft of external diameter 'D' and internal diameter 'd' is equal to a) $D^4/(D^4-d^4)$ b) $D^3/(D^3-d^3)$ c) $(D^4-d^4)/D^4$
12)	If a solid shaft is subjected to a torque 'T' at its end such that maximum shear stress is not to exceed $\tau$ , the diameter of the shaft a) $16T/\pi(\tau)$ b) $\sqrt{(16T/\pi(\tau))}$ c) $\sqrt[3]{(16T/\pi(\tau))}$
13)	The deflection of closely coiled helical spring under an axial load is given by a) WR <sup>3</sup> n/Gr <sup>4</sup> b) 2WR <sup>3</sup> n/Gr <sup>4</sup> c) 4WR <sup>3</sup> n/Gr <sup>4</sup> d) 8WR <sup>3</sup> n/Gr <sup>4</sup>

14) Shear stress in a closed-coiled helical spring under an axial load is

	a) $8WD/\pi d^3$ b)	$4WD/\pi d^3$ c)	$8WD/\pi\ d^2$	d) $16WD/\pi d^3$	
15)	The predominant e a) bending b)			n a helical spring d)twisting	g is
16)	The equivalent stiff a) $S = S_1S_2/S_1+S_2$				$S_1S_2$
17)	The equivalent stiff a) $S = S_1S_2/S_1+S_2$	-	0 0	•	$S_1S_2$
18)	The angle of twist a)32TDn/Ed <sup>4</sup>			ng under an axial dn/ED <sup>4</sup> d)327	
19)	Maximum stress in a)12T/bt <sup>3</sup>	a flat spiral spr b)12T/b <sup>2</sup> t	ing is given by c)12T/b		$2bt^2$
20)	Widely used spring a) flat spiral spring c) closely coiled he		b) leaf sprin		g
21)	Proof load in a leaf a) 8nbt <sup>3</sup> Ey/31 <sup>3</sup>		c) 8nbt <sup>2</sup> Ey/31 <sup>2</sup>	d) 3nbt <sup>3</sup> E	y/81
22)	The central deflect a) $3Wl^2/8nbt^2E$			$bt^2E$ d) $3Wl^3/$	8nbt <sup>3</sup> E
23)	Leaf spring are sub a) tensile stress b	· ·	ress c)shear	stress d)bend	ing stress.

## **Learning objectives:**

Student will be exposed:

- ► Hoop and longitudinal stress in thin Cylinders
- ➤ Hoop and longitudinal stress in shell
- ➤ Volumetric Strain in thin cylinders
- > Power transmitted by the shaft
- ➤ Various of hoop and radial stress in case of thick cylinders
- > Derive Lame's equation
- > Solve problems on thin and thick cylinders.

$\Delta L$	4	O 4	•
Oni	ective	Onest	ions
~ ~J		Z	-0

Oł	ojective Questions
1.	For a thin pressure vessel the ratio of the wall thickness to the mean radius should be less than
2.	The hoop stress in a thin cylinder of mean radius R wall thicknes h under pressure p is given by
3.	The longitudinal stress in a thin cylinder of mean radius R , wall thickness h under pressure p is given by
4.	In a thin cylinder pressure vessel the ratio of hoop to longitudinal stress is
5.	The maximum shear stress in a thin cylindrical pressure vessel of mean radius R and wall thickness h under pressure p is
6.	The volumetric strain in a cylindrical pressure vessel is
	$ (a)\sigma\Theta \ (5\text{-}2v) \ / \ E \qquad (b) \ \ \sigma\Theta \ (5\text{-}v) \ / \ E \qquad (c) \ \ \sigma\Theta \ (2.5\text{-}v) \ / \ E \qquad (d) \ \ \sigma\Theta \ (2.5\text{-}2v) \ / \ E $
7.	The hoop stress in athin spherical pressure vessel of mean radius R, wall thickness h under pressure p is given by
	$(a)pR / h  (b) pR / 2h \qquad (c) pR / 4 h \qquad (d) 4pR / h$
8.	The volumetric strain in a thin spherical pressure vessel is
	(a) $3\sigma\Theta$ (1-2v) / E (b) $3\sigma\Theta$ (1-v) / E (c) $\sigma\Theta$ (1-2v) / 3E (d) $\sigma\Theta$ (1-v) /2 E
9.	When a thin cylinder is wound with a wire under tension the hoop stress in the cylinder shall be
	(a) Tensile in nature (b) compressive in nature
	(c) bending in nature (d) zero
10	. The ratio of the hoop stresses in a thin spherical pressure vessel and a thin cylindrical pressure vessel of same mean radii, wall thickness and same internal pressure is
	(a)1 (b) 2 (c)1/2 (d) 14
11	. For a thick pressure vessel the ratio of the wall thickness to mean radius should be

(b) equal to 1/15

(a) Less than 1/15

	(c) more than 1/15	(d) more than 1/20	
12.	12. The maximum hoop stress in a thick pressure vessel under internal pressure occ		
	(a) At the outside surface	(b) at mid thickness	
	(c) at the inside surface	(d) at the root-mean square radius	
13. Compound cylinders are used to			
	(a) Increase the wall thickness	(b) Increase the strength of cylinder	
	(c) Increase its diameter	(d) make the stress distribution more uniform	
14. When a wire is wound over a thick cylinder the nature of the hoop stress in the cylinder is			
	(a) Tensile (b) shear (c	bending (d) compressive	
15.	15. In a force fitted shaft the radial and hoop stresses every where in the shaft are		
	(a) Zero (b) equal to each	other (c) constant (d) unpredictable	
16. The distribution of stresses in a thick spherical shell are			
	(a) Uniform in nature	(b) linear in nature	
	(c) parabolic in nature	(d) cubic in nature	
17	. Graphical method for thick cy	linders was developed by	
_	. The variation of the radial stre	ess in a thick cylindrical pressure vessel's path	
19.	. The variation of the hoop stres	s in a thick cylindrical pressure vessel's path	